

832 :

21 for control.

811 for voice, pagers, etc.

21 Control channels: Use FSK  
 (digital: Frequency Shift Keying,  
Two frequencies (0, 1))

811 ~~Two~~ "voice" channels. use FM.  
 (Analog: Frequency Modulation).

4/1 Two computers share:

each might have 21 control channels -  
 395 "voice" channels.  
 416

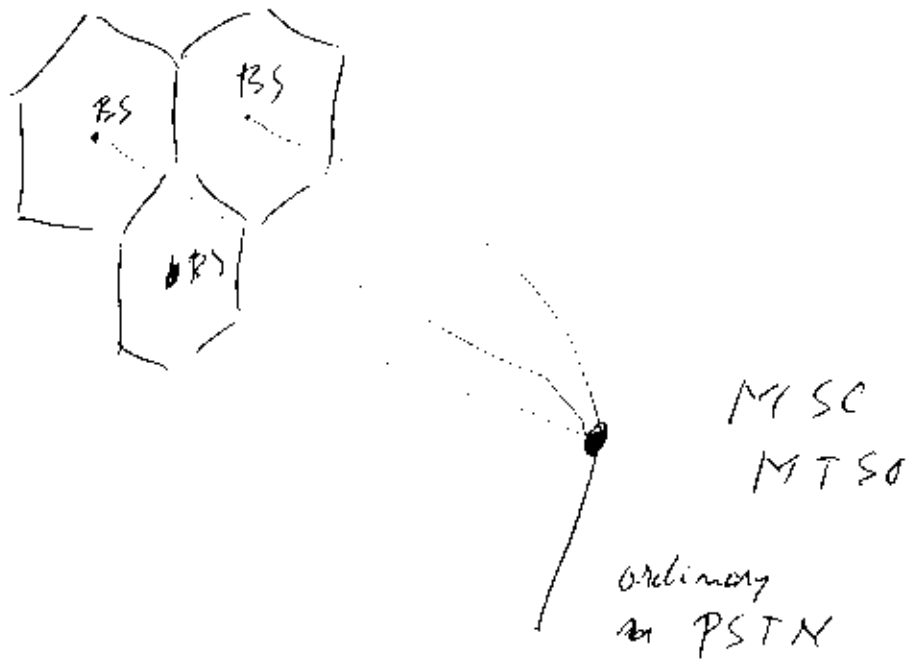
Handset: 32 bit serial number ("ID")  
 10 digit (?) phone number ("ID")

When turned on: scans 21 control channels.  
 finds "strongest signal". Announces itself to  
 Base-Station.

Explain Base-Station.

1 "Antenna"  $\equiv$  1 Base-Station.

1 MSC  $\equiv$  several Base Stations.  
 Mobile Switching Center.



Each "cell", or  
each "Antenna Structure" has (is) a  
Base-Station. . . (BS)

A- MSC (Mobile Switching Center) or  
or MTSO (Mobile Telephone Switching  
Office)

"controls" several Base Stations.

MSC or MTSO interfaces with  
"ordinary" PSTN.

Abbreviations:

MTSO Mobile Telephone Switching Office.

MSC Mobile Switching Center.

All base-stations in a "group of cells" are connected to an MTSO.

database, also "connection with landline network". PSTN.

There is a "Home Database"

for every user:

Reachable if you have the telephone number. (You need the phone number to reach it).

The Home database "knows" where the customer (or handset) is.

Handset turns on.

Searches for strong signal.

Reports to local MTSO or MSC.

local MTSO or MSC reports to home database. (Possible because it knows phone number.)

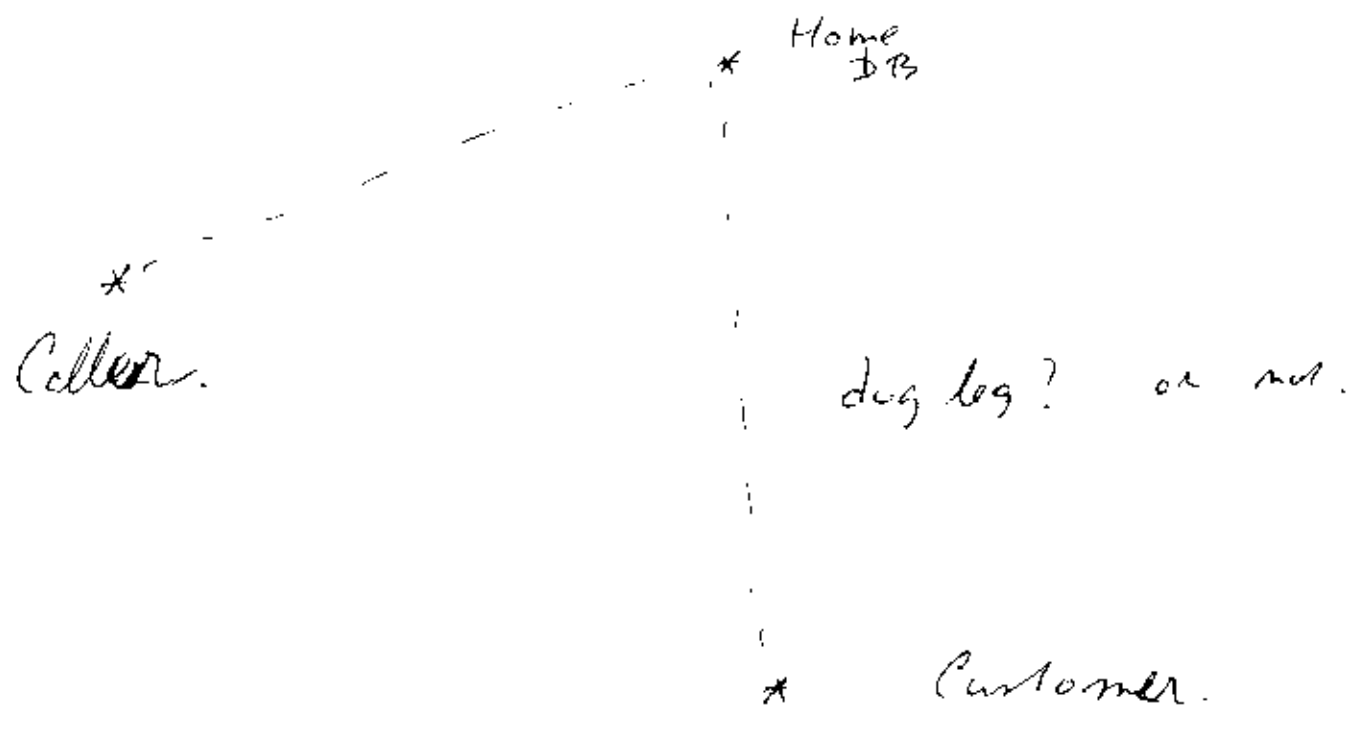
If handset is on.

Reports every ~ 15 minutes.

Incoming call:

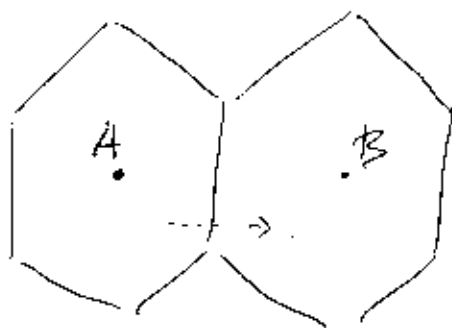
First to Home base.

(One way or another):



Caller "finds" customer.

(Possibly: Search in adjacent cells, then adjacent MSCs, etc.)

Handoff

If a customer moves from one cell to  
 other: handoff occurs.

in A. ~~for~~ signal strength decreases.

A asks neighbors: "who can hear this guy?"

Handoff occurs. See Tenenbaum.

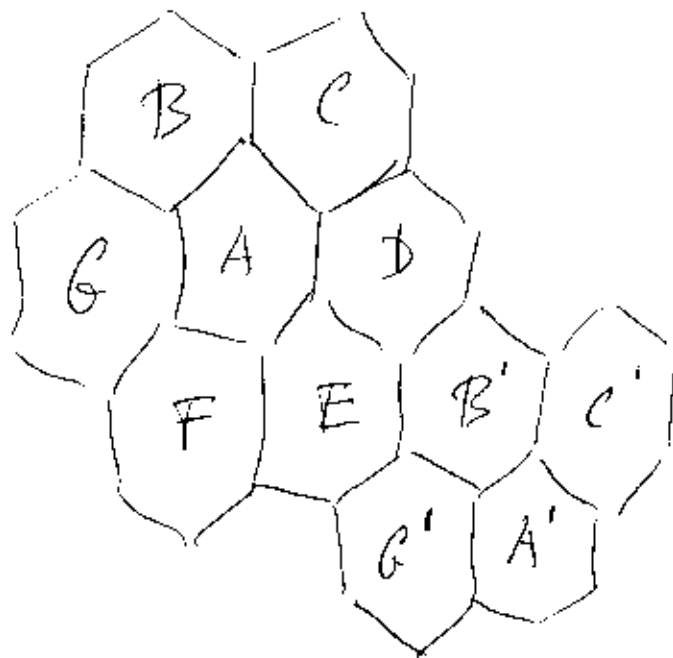
Handoff may fail!

Most important:

Frequency Re-use.

There are ~~over~~ 832 full duplex  
 channels.

No Re-use in adjacent cells.



etc.

each cell uses  $\sim \frac{832}{7} \approx 118$  channels.  
or fewer. (Typ. cells: more like 40 or 50?)

Smaller cells  $\Rightarrow$  Lower power  $\Rightarrow$

Better use of spectrum  
(but more handoff).

Old:	100 * 100 mile "cell"
	1 conversation / channel.
New:	100 10 * 10 mile "cells"
	$\sim \frac{100}{7} = 14$ conversations/channel.

Also: lower power  $\Rightarrow$  lighter, cheaper  
handsets, longer battery life.

Battery life is major issue!

Next version of AMPS:

D-AMPS.

Digital AMPS

(Advanced Mobile Phone System).

AMPS: analog transport  
digital signalling.

D-AMPS: fully digital.

Some 30 kHz simplex channels  
plus more.

PLUS : TDM : 3-6 users per channel.

How is that possible?

Based on Human  
vocal system.

Digital voice compression.

down to 8 kb/sec (kbit/sec)

or even less.

Ferouzan says  
~~7.95~~ 7.95 kb/s.

D-AMPS: digital.

FDM (30 kHz channels)

plus TDM.

QPSK. (Phase Shift Keying).

Both Voice & Signalling.

D-AMPS:

In USA,

Modified version in Japan.

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# GSM

Global System for Mobile Communication.

"The European System".

They use the name "GSM" as synonym for "cellphone".

"My GSM". Where is your GSM. etc.

124 duplex channels.

each channel: 2 simplex links.

each link: 200 kHz wide.

8 users share a channel  
(TDMA)

Digital: GMSK  
( "like" FSK ).

Complicated

SLOT - Frame - Multiframe - ...  
structure.

Frequency division separates channels (each 200 kHz wide)

Time division allows 8 users per channel.

IS-95

Interim Standard 95.

A form of cellular phone using

CDMA

Code Division Multiple Access

and

DSSS

Direct Sequence Spread Spectrum

Technology: Qualcomm.

All major manufacturers are now manufacturing "CDMA" based phones.

Which providers are using it?

(I think more).

Seems to be the best technology.

Cell phones:

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First Generation: AMPS (analog, 12.5 MHz, ~10 km cells).

Second Generation:

D-AMPS (IS-136)

IS-136

CDMA (IS-95)

Fully digital.  
cells ~10 km or  
smaller.  
(sometimes: very small).

Third Generation:

Coming Soon! (

Voice as good as PSTN now

data rate ~ 144 kb/s.

Interface to Internet

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PCS: "Personal Communications".

Any Second Generation Technology.

Including Short Message Service.

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Final: Friday 12/12/2003.

Make sure to ask questions:

now, or 12/05, or 12/09, not after 12/09.

# Network Security (Message Security).

## Tanenbaum Ch 8

What do we expect from a security-tool ?

- Confidentiality. (Privacy)  
(Others can not read your mail).
- Authentication.  
(You want to be sure of the sender's identity:  
No "spoofing").
- Integrity.  
(You want to be sure the message has not been modified on the way).

### • Non-Repudiation.

(You want to be able to prove you got the message, and time, etc.)  
Example:

(You want to be able to prove the other guy got your message).

Related issue: Time stamping.

You want to be able to prove at what time you sent/received a message, and incl. content.

Related area:

"Zero knowledge proofs".

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There is more to ~~see~~ computer security  
than network security.

E.g. Access to Resources.

Permission to log on  
(Password).

Permission to read certain files.  
(~~Only~~ (e.g. personnel files,  
salaries)).

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How do you make a computer secure?  
(Lock it in vault, without remote access).

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~~Back to~~

Who has heard of one-time passwords?

Is (Network) Security the same as  
Secrecy?

No:

(1) Lack of the 4 points.

(2) Traffic Analysis!

I may be able to monitor your  
encrypted traffic.

Can not decrypt it. But:

Draw conclusions from volume,  
possible who you are talking with, etc.

Example: "Mind U.S. Army" in England,  
1944.

At Queda now?

How do we achieve network security?

Let's start simple:

How do we achieve Privacy?

# Cryptography

(1) Mono-alphabetic Substitution.

Simple!

I B 17 (Caesar Code).  
H A L (Arthur C. Clarke,  
Odyssey 2001)

(2) Block Substitution.

(Let's be binary)

Block of  $k$  bits replaced by  
other block of  $k$  bits. 1-1.

$2^k$  different blocks of  $k$  bits.

$(2^k)!$  different maps.

too many possibilities.

We need a key so that given the  
key both the forward map (encryption)  
and the backward map (decryption)  
can be found.

1 key: "Symmetric-Key" Encryption.

"History dependent" encryption schemes:

Message. (Cleartext)	$B_1, B_2, B_3, \dots, B_{k-1}, B_k, B_{k+1}, \dots$ (Blocks)
Encrypted (Cyphertext)	$\hat{B}_1, \hat{B}_2, \dots$

$\hat{B}_k$  depends on  $B_k$  and  $B_{k-1}, B_{k-2}, \dots, B_1$   
 History.

Still: we need a key.

Symmetric - Key cryptography.

Kerckhoff's principle:

- The algorithm is public.
- The key is secret.

For implementability,  
usability.



Example of "Block Substitution" with characters.

Say we have 128 characters (ASCII).

No, let's do it first with three characters.

Text: ~~Not even~~      1 3 1 2 3 1 2 3 2  
~~You are~~      Say  
~~1 2 3 4 5 6 7 8 9~~       $c_1, c_2, c_3, c_4, c_5, c_6, c_7, c_8, c_9$

Blocks :  $B_1 = (c_1, c_2, c_3)$        $B_1^T = \begin{pmatrix} c_1 \\ c_2 \\ c_3 \end{pmatrix}$   
 $B_2 = (c_4, c_5, c_6)$   
 $B_3 = (c_7, c_8, c_9)$

Find a  $3 \times 3$  matrix

$$S = \begin{pmatrix} s_{1,1} & s_{1,2} & s_{1,3} \\ s_{2,1} & s_{2,2} & s_{2,3} \\ s_{3,1} & s_{3,2} & s_{3,3} \end{pmatrix}$$

$$\hat{B}_i^T = S B_i^T \pmod{3}$$

$$\left( \text{then } \hat{b}_{i,j} = \sum_{k=1}^3 c_{i,k} b_{i,k} \pmod{3} \right)$$

Better choose  $S$  such that it is nonsingular in  $\mathbb{Z}_3$ .

$$\exists S^{-1}, \quad S \cdot S^{-1} = S^{-1} \cdot S = I$$

$$\sum_{j=1}^3 s_{ij} s_{jk}^{-1} \pmod 3 = \delta_{ik} = \begin{cases} 1 & i=k \\ 0 & i \neq k \end{cases}$$

$$B_i^T = S B_i^T$$

$$S^{-1} B_i^T = S^{-1} S B_i^T = B_i^T$$

Now with ~~128~~<sup>131</sup> characters ~~EB~~ (ASCII) (!)

$S$  is a ~~128 x 128~~<sup>131 x 131</sup> matrix,

with an inverse  $S^{-1}$  (~~in  $\mathbb{Z}_B$~~ )

(Why <sup>131</sup> and not <sup>128</sup>?  
<sup>131</sup> is prime!  $\mathbb{Z}_{131}$  is a field)

$S, S^{-1}$  must be <sup>131 x 131</sup> matrices, with

$$\sum_{k=1}^{131} s_{i,k} \cdot s_{k,j}^{-1} = \delta_{i,j} \quad s_{k,i}^{-1} = (S^{-1})_{k,i} \text{ not } (s_{k,i})^{-1}$$

This was the Hill Cypher.

The size (of the blocks) must be equal to or larger than the number of characters.

A Hill-Cypher of large size is pretty good, but:

But?

Breakable with "known plaintext" attack.

Also: hard to transmit, store the key! ( $m \times m$  matrix =  $m^2$  numbers)

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Another Block Cipher:

Size  $m$ .

Now digital.

Message =  $(b_1, b_2, b_3, \dots)$  (bits).

Blocks  $B_1 = (b_1, \dots, b_m)$

$B_2 = (b_{m+1}, \dots, b_{2m})$

$$b_{i_s} = b_{(i-1)*m+j}$$

etc.

key =  $(k_1, \dots, k_m)$  (bits)

$$\hat{b}_{i_s} = b_{i_s} + k_j \pmod{2}$$

$$= b_{i_s} \oplus k_j \quad \text{exclusive or}$$

$$b_{i_s} = \hat{b}_{i_s} + k_j \pmod{2}.$$

Very easy to break with

"known plaintext" attack:

If for at least one block  $B$  the enemy knows  $B$  and  $\hat{B}$ :

$$k_j = b_j + \hat{b}_j \pmod{2}.$$

The Hill cipher: (size  $m$ )

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If for well-chosen  $B_1, B_2, \dots, B_m$   
(each block of size  $m$ )

you know  $\hat{B}_1, \dots, \hat{B}_m$ ,

you can compute  $S$  and  $S^{-1}$ .

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"Known Plaintext" Attack.

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DES  
Tanenbaum pp 738 - on.  
Data Encryption Standard.

Block Cipher.

Blocks of 64 bits.

(Cryp Plaintext and Ciphertext).

Originally 56 bit key.

Was found too short.

Complicated!

Now: "Triple DES":

Block Cipher

Blocks of 64 bits

112 bit key.

(really: three 56 bit keys).

Symmetric Block Cipher

Implemented in hardware (Silicon).

$k$ : key.

$T_k$ : Transformation

$$\hat{P}_i = T_k P_i$$

$$P_i = T_k^{-1} \hat{P}_i$$

if you have  $k$  (key), it is "easy" to find  $T_k, T_k^{-1}$ .

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Chaining (to give the system memory)

$$\hat{P}_i = T_k (\hat{P}_{i-1} \oplus P_i) \text{ (encryption)}$$

Encryption: here  $P_i$  (new plaintext block)  
 $\hat{P}_{i-1}$  (previous ciphertext block)

first: compute  $\hat{P}_{i-1} \oplus P_i$  (bitwise exclusive or)

then compute  $\hat{P}_i = T_k (\hat{P}_{i-1} \oplus P_i)$ .

Decryption:

known  $\hat{\beta}_i, \hat{\beta}_{i-1}$

$$\begin{aligned} \text{Compute } T_k^{-1} \hat{\beta}_i &= T_k^{-1} T_k (\hat{\beta}_{i-1} \oplus \beta_i) \\ &= \hat{\beta}_{i-1} \oplus \beta_i \end{aligned}$$

$$\beta_i = \hat{\beta}_{i-1} \oplus T_k^{-1} \hat{\beta}_i$$


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Alternative form of chaining:

$$\hat{\beta}_i = T_k (\beta_{i-1} \oplus \beta_i)$$


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Chaining: No longer mono-alphabetic substitution.

# AES

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Advanced Encryption Standard.

(Will replace DES?)

Tanenbaum pp 791 - on.

Not in CIS 451.

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Symmetric - Key encryption schemes:  
(in particular DES)  
Good for privacy.

Relatively easy to implement.

Fast (one chip can do ~ 30 Mb/sec?)  
(quoting from memory). (?)

Problem. Key Management.

~~Not so good for~~

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- Privacy: OK.
- Authentication: OK. ("Redundancy in text").  
(but: Man in the middle,
- Integrity: OK. (but, reflection)
- Non-Repudiation: Not OK!  
(shared key).